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## ABSTRACT

## Gender Differences in Competitiveness and Risk-Taking among Children, Teenagers, and College Students: Evidence from Jeopardy!*

Studying competitiveness and risk-taking among Jeopardy! contestants in the US, this paper analyzes whether and how gender differences emerge with age and by gender of opponent. Our samples contain 186 children (aged 10-12), 310 teenagers (aged 13-17), and 299 undergraduate college students. We measure competitiveness via the likelihood of (i) winning an episode, (ii) responding to a clue (i.e., 'buzzing' in), and (iii) responding correctly to a clue. Risk-taking is assessed via Daily Double wagering decisions. We identify no noticeable gender differences in our competitive measures throughout all three samples, but this result changes when considering risk-taking. Although we identify no gender differences in wagering for children, males begin to wager substantially more as they become teenagers, leading to the emergence of the gender gap. In terms of magnitude, teenage girls wager 7.3 percentage points less of their maximum wager than teenage boys, equivalent to approximately $\$ 451$. This gap persists for college students, albeit with a somewhat smaller magnitude of \$297. Finally, male teenagers and college students wager substantially less when competing against females. In turn, the gender of opponents does not influence female competitive behavior and risk-taking.

## JEL Classification:

Keywords:

D81, D91, G41, J16
competitiveness, risk preferences, gender differences, performance under high pressure, gender of opponents

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[^1]
## NON-TECHNICAL SUMMARY

This paper looks at data from the US game show Jeopardy! to investigate whether young females and males compete and wager differently. Specifically, we study kids episodes (age 10-12), teenager episodes (13-17), and episodes featuring college students. In all three age groups, we observe no statistically meaningful gender differences in competitiveness. In terms of risk-taking, we document no gender differences among children, but the gender gap begins to emerge forcefully for teenage contestants. This is when males begin to wager substantially more, but females only do so marginally. Finally, we check whether the gender of opponents can influence competitiveness or risk-taking. Since a contestant is randomly assigned female or male opponents, Jeopardy! provides a perfect setting in this regard. Interestingly, females across all three age groups seem unaffected by who they compete against. Male teenagers and college students, on the other hand, wager substantially less for every female opponent. These results may be relevant for policy questions, such as those related to male-dominated industries (e.g., the finance industry or STEM areas) or single- versus mixed-gender schooling.

## 1 Introduction

Although gender differences in competitiveness and risk preferences have been suggested in a number of settings, it remains difficult to determine at which age and under what circumstances such heterogeneity can or will emerge. The following pages aim to contribute to our understanding of three research questions surrounding these topics, analyzing data from Jeopardy!, a prominent game show in the US:

1. At what age (if any) do we observe gender differences in competitiveness?
2. At what age (if any) do we observe gender differences in risk-taking?
3. Does the gender of opponents influence competitiveness and risk-taking?

These questions are intimately related to several policy-relevant phenomena. For example, we now have ample evidence suggesting that both competitiveness and risk-taking determine wages and could ultimately explain at least part of the gender wage gap (e.g., Manning and Swaffield, 2008, Croson and Gneezy, 2009, and Le et al., 2011). Further, gender differences in occupational choices are likely driven by preferences related to competition and risk (e.g., Kleinjans, 2009, Buser et al., 2014, and Flory et al., 2014). Thus, our goal here is to help inform the debate about if and when such gender differences arise. Specifically, we access information on 186 Jeopardy! contestants in kids episodes (aged 10-12), 310 contestants in teen episodes (aged 13-17), and 299 contestants from episodes featuring undergraduate college students.

Concerning the first question posed above, results from several laboratory experiments suggest that young females are less willing to select into competition than males (e.g., see Gneezy and Rustichini, 2004, and Sutter and Glätzle-Rützler, 2015, for children; Gneezy et al., 2003, study college students). However, other studies report no gender differences in competitiveness at young ages (e.g., Dreber et al., 2011, Cárdenas et al., 2012, Andersen et al., 2013, Samak, 2013, and Khachatryan et al., 2015). To further help sort our study into the existing literature, Panel A of Table A1 in the appendix provides an overview of recent studies related to gender differences in competitiveness. In our Jeopardy! setting, which will be explained in detail below, we detect virtually no gender differences in any competitionrelated outcomes for children, teenagers, or college students. This remains true once we control for an array of potentially confounding factors, such as clue categories, scores (absolute and relative to opponents), and race.

Moving to our second research question, the hypothesis of gender differences in risk preferences emerging at early ages has generally received stronger support than the corresponding hypothesis concerning competitiveness. Byrnes et al. (1999) provide a meta analysis of 150 such studies and since then, a range of laboratory experiments have suggested females to be more risk averse than males across virtually all age groups. ${ }^{1}$ Panel B of Table A1 provides an overview of the associated literature. In our Jeopardy! setting, we find girls and boys aged 10-12 years are indistinguishable in their risk-taking a result that is in line with those from Säve-Söderbergh and Lindquist (2017), who study the Swedish Jeopardy! version. However, males begin to wager substantially more as they become teenagers, which then gives rise to the gender gap. This difference prevails for college students.

Third, to study the potential role of their opponents' gender, we take advantage of the random assignment of female and male competitors (each Jeopardy! episode features three contestants). Previously, some studies suggest single-sex environments to increase females' likelihood to select into competition, perform better, and risk more (e.g., see Gneezy et al., 2003, Booth and Nolen, 2012a,b, Lindquist and Säve-Söderbergh, 2011, Booth et al., 2014, or Booth and Yamamura, 2017). Conversely, De Paola et al. (2015) find that the gender of opponents does not affect the performance of female undergraduate students in Italy. Finally, Jetter and Walker (2017b) suggest women may actually perform better and risk more in the presence of men, studying adult Jeopardy! contestants. Interestingly, our findings here suggest that young females' performance and risk-taking remains unaffected by the gender of their opposition. This result prevails across all our three age groups. However, the gender of opponents does seem to matter for men: Male teenagers and college students wager significantly less when competing against females. We also find some evidence of male teenagers performing worse when competing against females. Intuitively, male contestants near puberty may feel awkward or intimidated when females are present, but mature out of this as our college sample does not reveal such a pattern.

The paper proceeds with a description of our data and methodology, followed by a detailed description of our findings in Section 3. Finally, Section 4 concludes.

[^2]
## 2 Data and Methodology

### 2.1 Show Description

Jeopardy! averages 25 million viewers per week (Jeopardy!, 2015) and ranks as the second largest game show in syndication. The show organizes episodes in four demographic categories: kids (aged 10-12 years), teenagers (aged 13-17), undergraduate college students (must be a full-time student and not have completed a bachelor's degree), and adults (over the age of 18). This paper will focus on the first three categories, as we are interested in competitiveness and risk-taking at young ages. Jetter and Walker (2017b) study those attitudes for adult contestants and we use the corresponding results as one reference point when discussing our findings in Section 3.

In every Jeopardy! episode, three contestants compete against each other and up to 61 'clues' appear. One of the show's defining features is that 'clues' are presented as declarative sentences (e.g., 'this city is the capital of France') and contestants have to hit a buzzer to then 'answer' with the corresponding question (e.g., 'What is Paris?'). Nevertheless, we will refer to 'answering' or 'responding' to clues throughout the paper to facilitate readability. Whoever hits the buzzer first is entitled to respond and if correct, the contestant receives the dollar value at stake added to their account balance and is able to select the next clue. That clue is then open to all three contestants and, again, whoever buzzes in first responds. If an answer is incorrect, the clue remains open to the other contestants and the associated dollar value is deducted from the contestant's account balance.

Each episode begins with the Jeopardy! round, where six clue categories appear with five clues each, featuring values of $\$ 200, \$ 400, \$ 600, \$ 800$, and $\$ 1,000$. After these 30 clues, the Double Jeopardy! round begins in the same format, but all values are doubled ( $\$ 400, \$ 800, \$ 1,200, \$ 1,600$, and $\$ 2,000$ ). ${ }^{2}$ After the Double Jeopardy! round, every episode culminates in one final clue (the Final Jeopardy! round), in which each contestant can wager up to their entire account balance on responding correctly. Here again, an incorrect answer leads to a deduction of the wagered amount, whereas a correct answer adds the wagered amount to the contestant's account balance. The goal of the show is to lead the two opponents in account balance after the Final Jeopardy! round. We refer the reader to Jetter and Walker (2017a,b) for further information on Jeopardy!.

[^3]
### 2.2 Data

On June 5, 2015, we accessed the J! Archive website, a fan-created archive of Jeopardy! episodes, to access information for a range of episodes from 1984-2015. In particular, the website contains information on contestants' names, each episode's sequence of clues with clue categories, account balances of each contestant, and detailed information about who responded to a given clue. ${ }^{3}$ Most importantly for our purposes, we use information on a contestant's name to conjecture their gender (e.g., Emily is female; Martin is male). In cases where the gender is not immediately obvious, the J! Archive website provides pictures for many contestants with the remainder found via web searches for the contestant name and respective episode allowing us to determine their gender.

In this paper, we focus on four distinct settings: (i) winning an episode, $(i i)$ choosing to answer a clue, $(i i i)$ answering correctly to a clue, and (iv) the wagering decision in so-called Daily Double (DD) clues, which will be explained shortly. We interpret the first three settings as different forms of measuring competitiveness and the fourth setting involving wagering decisions as a choice related to risk-taking. All summary statistics are available in Tables A2 - A4.

First, with respect to winning an episode, our sample includes information from 62 kids episodes featuring 186 contestants aged 10-12 (with 47.8 percent being female). For episodes featuring teenagers and college students, our database includes information for 202 and 188 episodes, respectively, including 310 and 299 contestants ( 44.6 percent and 45.1 percent female, respectively). Second, related to whether a contestant responded to a clue or not, our kids sample contains 10,878 observations, whereas the teenage and college student samples include 36,813 and 34,185 observations. Note that each clue produces three observations for this variable, i.e., a binary indicator for answering for each of the three respondents. (If an answer is incorrect, the other contestants can choose to buzz in.) Third, turning to our binary indicator of whether a contestant responded correctly to a given clue (conditional on buzzing in), our sample produces 3,716 observations for the kids sample, 12,824 observations for teenagers, and 11,630 observations for college students.

Fourth and final, we now describe the $D D$ situation in which we measure wagering decisions. Throughout each Jeopardy! episode, three DD clues are hidden - one in the Jeopardy! round and two in the Double Jeopardy! round. The contestant in control of the board who happens to select the

[^4]clue is able to wager up to their entire account balance on responding correctly. ${ }^{4}$ Note that the other contestants are excluded from $D D$ clues. In particular, at the time the contestant has to make their wagering decision, they only know the clue category (e.g., 'European Cities'), but not the clue. If the contestant answers correctly, they receive the wagered amount toward their account balance, whereas an incorrect answer leads to a subtraction of the wagered amount. Overall, this sample includes 182 observations for the kids sample, 606 observations for the teenager sample, and 559 observations for college students. Following Säve-Söderbergh and Lindquist (2017) and Jetter and Walker (2017a,b), we analyze the share of the maximum possible wager, i.e., the wagered amount divided by the respective contestant's current score or the largest dollar amount on the board (whichever of the two is greater). Throughout our three samples, the average wagered amount equals $\$ 2,568, \$ 2,786$, and $\$ 2,534$ for the kids, teenage, and college samples, respectively. This corresponds to shares of 35.5 percent, 45.1 percent, and 44.4 percent out of the average maximum possible wagers $(\$ 7,234 ; \$ 6,177 ; \$ 5,707)$.

### 2.3 Methodology

After analyzing descriptive statistics, we turn to basic logistic regressions for estimating the likelihoods to $(i)$ win an episode, $(i i)$ answer to a given clue, and (iii) answer correctly. For our fourth setting related to wagering decisions, we employ a standard OLS model to predict the wager as a share of the maximum possible wager. For all outcome measures, we consider the three samples of kids, teenagers, and college students in separate estimations. For example, we predict the wager in clue $c$ for contestant $i$ as

$$
\begin{equation*}
\text { Wager }_{c, i}=\alpha_{0}+\alpha_{1} \text { Female }_{i}+\alpha_{2} \boldsymbol{X}_{\boldsymbol{c}, \boldsymbol{i}}+\delta_{c, i} \tag{1}
\end{equation*}
$$

where Female $_{i}$ constitutes a binary indicator for female contestants. $\boldsymbol{X}_{\boldsymbol{c}, i}$ represents a vector including several control variables that may independently affect a contestant's competitive behavior and wagering decisions. These variables are also accounted for in the competitiveness settings. In particular, $\boldsymbol{X}_{\boldsymbol{c}, \boldsymbol{i}}$ contains the following variables: Binary indicators for black and other non-white races (white serves as the reference point), binary indicators for STEM categories and the 20 most common clue categories,

[^5]the initial dollar value of the clue, the account balance of the contestant, as well as their account balance relative to their opponents. ${ }^{5}$ We now discuss the intuition of each of these in turn.

### 2.4 Control Variables

First, Finucane et al. (2000) suggest that risk perceptions could differ by race, prompting us to control for a basic distinction between white (caucasian), black, and other races. To get this information, we relied on a research assistant who distinguished between black, white, and other races from looking at pictures available on the J! Archive website or on Google. ${ }^{6}$ Nevertheless, all our results are virtually unchanged when ignoring this, perhaps subjectively derived, variable. Second, since STEM subjects continue to be debated in a gender context (e.g., the unusually small share of women in STEM-related fields; see Preston, 1994, Montmarquette et al., 2002, and Griffith, 2010), it is possible that females and males categorically respond differently to such clues. To control for such dynamics, we manually sorted clue categories into STEM and non-STEM. Third, to control for particularly prominent clue categories that may independently affect competitiveness and risk preferences by gender, we introduce dummy variables for the 20 most common categories. Fourth, Jetter and Walker (2017a) show that the initial clue value can provide an important reference point for a person's wager in Jeopardy! - a behavioral concept commonly referred to as 'anchoring' (also see Tversky and Kahneman, 1974, Ariely et al., 2003, Beggs and Graddy, 2009, Furnham and Boo, 2011, and List, 2011).

Fifth, the player's account balance constitutes a measure for their Jeopardy! capabilities, as well as their degree of confidence in their performance in the current episode. Sixth, to capture the relative standing of a player with respect to their two opponents, we include a variable relating one's current account balance to their opponents'. Intuitively, prior performance of competitors may influence behavior in competitive tasks (e.g., see Smith, 2013, for evidence from spelling bee contests). In order to retain all observations, we select a subtractive formula: $2 \times$ own balance - balance $_{1}-$ balance $_{2}$, where subscripts denote opponents. ${ }^{7}$ With these parameters in mind, we now turn to describing our empirical findings.

[^6]
## 3 Empirical Findings

### 3.1 Descriptive Statistics

We begin with a comparison of means across gender in Figures 1-4, displaying the respective 95 percent confidence intervals. Note that these basic descriptive statistics do not account for the influence of any of the discussed control variables from equation 1. In each graph, we visualize the averages for females on the left-hand side for each age group, whereas the averages for males are shown on the right-hand side. All y-axes are scaled identically within figures to facilitate comparisons. Further, we also display means from the analysis of adult Jeopardy! contestants presented in Jetter and Walker (2017b) to provide an additional reference point.

In Figure 1, we consider the likelihood of winning a given episode and, overall, no noticeable gender differences emerge. Although females are marginally less likely to win at first glance with means around 30 percent, none of the means are statistically different from each other for any of our three samples. It is of note to see that there is not a statistically meaningful difference within gender or over the age spectrum.


Figure 1: Likelihood to win an episode, displaying means with $95 \%$ confidence intervals.

Next, Figure 2 turns to the likelihood of responding to a given clue. Note that confidence intervals are substantially smaller because sample sizes increase substantially once we consider each clue independently. However, we again fail to notice any statistically meaningful differences across gender and even within gender over time. As with the likelihood to win an episode, men are marginally more likely to do so, although all of the respective confidence intervals intersect.


Figure 2: Likelihood to answer a clue, displaying means with $95 \%$ confidence intervals.

This finding is then incrementally changed when we consider the likelihood to answer correctly in Figure 3. Again, we find no statistically significant differences within cohorts (e.g., comparing the kids' coefficient for females to that of males), but male teenagers appear to be statistically more likely to respond correctly than male children under the age of 13 . Nevertheless, this increased likelihood reverts when we move to college students, so a clear tendency is difficult to infer from Figure 3.


Figure 3: Likelihood to answer a clue correctly, displaying means with $95 \%$ confidence intervals.

Finally, Figure 4 considers risk-taking. Recall that prior research has been more decisive in identifying gender differences in risk preferences than in competitiveness across various age groups. Our basic descriptive statistics provide some evidence consistent with the finding that males wager more than females, at least for teenagers and (marginally so) for college students.


Figure 4: Wagering as share of maximum possible wager, displaying means with $95 \%$ confidence intervals.

### 3.2 Main Regression Results

In Table 1, we document the main results from our regression analyses, following the structure described in Section 2.3. Columns (1) - (4) consider all four settings for the kids sample, whereas columns (5) - (8) and (9) - (12) follow the same sequence for the teenager and college student settings. In all estimations, our focus lies on the coefficient associated with the binary identifier for females.

First, and largely confirming the preliminary evidence from Figures $1-4$, we find little to no gender differences for children in Jeopardy!. Only the likelihood to respond is marginally lower for girls than for boys, but the corresponding coefficient is only significant at the ten percent level. In fact, for answering correctly, we even identify a positive coefficient, suggesting that girls may be more likely than boys to answer correctly. Nevertheless, the coefficient remains statistically indistinguishable from zero with a t -value of 1.07 .

Second, when moving to the teenage sample, we again find no statistically powerful gender differences for our competitiveness settings. All gender coefficients in columns (5) - (7) remain firmly below the commonly accepted minimum threshold level of ten percent significance. However, we do observe the gender gap in risk-taking emerge forcefully, as the corresponding coefficient turns negative and statistically significant on the one percent level. In terms of magnitude, a female teenager wagers 7.3 percentage points less of their available maximum than a male teenager, holding constant all control variables. Using the average absolute wager for teenagers as a reference point $(\$ 1,944)$, this corresponds to approximately $\$ 142$.
Table 1: Regression results, testing correlations from Figures 1 - 4 when including control variables. Columns (1) - (3), (5) - (7), and (9) (11) display marginal effects from logistic regressions, whereas the remaining columns show results from OLS regressions.

| Dependent variable: | Kids |  |  |  | Teenagers |  |  |  | College students |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) <br> Winning episode | (2) <br> Answering | (3) <br> Answering correctly | (4) <br> Wager | (5) <br> Winning episode | (6) <br> Answering | (7) <br> Answering correctly | (8) <br> Wager | (9) Winning episode | (10) <br> Answering | (11) <br> Answering correctly | (12) <br> Wager |
| Female | $\begin{gathered} -0.066 \\ (0.070) \end{gathered}$ | $\begin{aligned} & -0.023^{*} \\ & (0.013) \end{aligned}$ | $\begin{gathered} 0.015 \\ (0.014) \end{gathered}$ | $\begin{gathered} 0.030 \\ (0.042) \end{gathered}$ | $\begin{aligned} & -0.042 \\ & (0.039) \end{aligned}$ | $\begin{gathered} -0.010 \\ (0.007) \end{gathered}$ | $\begin{gathered} -0.006 \\ (0.007) \end{gathered}$ | $\begin{gathered} -0.073^{* * *} \\ (0.025) \end{gathered}$ | $\begin{aligned} & -0.077^{*} \\ & (0.041) \end{aligned}$ | $\begin{gathered} -0.011 \\ (0.007) \end{gathered}$ | $\begin{gathered} -0.011 \\ (0.008) \end{gathered}$ | $\begin{gathered} -0.052^{* *} \\ (0.022) \end{gathered}$ |
| Control variables ${ }^{a}$ |  | yes | yes | yes |  | yes | yes | yes |  | yes | yes | yes |
| \# of players | 186 | 186 | 186 | 124 | 310 | 310 | 310 | 254 | 299 | 299 | 299 | 249 |
| \# of episodes | 62 | 62 | 62 | 62 | 202 | 202 | 202 | 202 | 188 | 188 | 188 | 188 |
| $N$ | 186 | 10,878 | 3,716 | 182 | 606 | 36,813 | 12,824 | 606 | 561 | 34,185 | 11,630 | 559 |

[^7]Third, we observe similar dynamics for college students: Female students wager 5.2 percentage points less than male students, on average, and these respective gender differences are statistically significant at the five percent level. In terms of the competitive settings, we only detect a marginally lower likelihood to win an episode for female students, but no noticeable differences for either the likelihood to answer or to answer correctly.

To better illustrate our findings related to risk-taking in $D D$ situations, Figure 5 compares the coefficient related to Female with the magnitudes of other control variables. In particular, we display the derived coefficients from columns (4), (8), and (12) in Table 1 for black contestants, the initial dollar value of the clue, and the contestant's score. For the latter two variables, we display the magnitude for a one standard deviation increase. To facilitate comparison both within and across cohorts, we again show the three graphs for each age group next to each other with identical scales on the $y$-axis.

For children, as discussed above, we find no gender differences in wagering behavior. Similarly, we observe no racial differences and the initial dollar value is not a statistically significant predictor of wagering. However, the player's score emerges as a negative and statistically significant regressor, indicating that children take less risk when their score is higher. This may be an intuitive strategy, as, all else equal, one may not want to lose a large balance in one bet.

For teenagers, females now wager statistically less than males. This effect is approximately equal to half of a one standard deviation increase in one's score and translates to approximately $\$ 451$ at the mean ( 7.3 percent of the average maximum wager, which is equal to $\$ 6,177$ ). Finally, turning to college students produces a similar picture, although magnitudes are marginally decreased. Now, being a female translates to approximately 5.2 percentage points less in average $D D$ wager, which is equivalent to marginally less than one third of a one standard deviation of one's score. In dollar terms, this corresponds to approximately $\$ 297$, since the average maximum wager in the college sample equals $\$ 5,707$. With these main results in mind, we now turn to analyzing the gender of opponents in our third and final research question.

### 3.3 The Gender of Opponents

In Tables 2 and 3, we follow the same sequence as Table 1, but split the sample into females and males. Our interest is now whether the gender of one's opposition may influence the discussed competitive measures and risk-taking. All estimations include the same set of control variables discussed in Section

Figure 5: Visualizing regression results from Table 1, focusing on wagering decisions. Coefficients for the initial dollar value and the contestant's score display magnitudes for a one standard deviation increase of the respective variable.
2.3. However, we include a variable that measures the number of opponents from the opposite sex, i.e., for the female (male) sample we control for the number of male (female) opponents. A priori, if the gender of opponents does not matter, we should expect a statistically irrelevant coefficient in the respective results.

Beginning with the female sample, Table 2 indeed shows no evidence for the hypothesis that females perform or wager differently against males than females. We estimate a relatively precisely estimated null effect in all 12 regressions. ${ }^{8}$ These non-results could be surprising since previous studies have suggested females perform better and take more risk in single-sex environments (e.g., see Gneezy et al., 2003, Booth and Nolen, 2012a,b, Lindquist and Säve-Söderbergh, 2011, Booth et al., 2014, or Booth and Yamamura, 2017). Nevertheless, one should keep in mind the different circumstances under which all studies are conducted with most of the corresponding results coming from laboratory experiments in different countries (e.g., Colombia, Sweden, or the UK). Thus, our results should be seen as complementary insights into whether and how the gender of opponents may affect females' behavior. As such, our results are perhaps comparable to those from De Paola et al. (2015), who study female undergraduate students in Italy and report no differential effects in their performance by the gender of opponents.

Table 3 turns to males and we uncover different dynamics for teenagers and college students. Whereas the gender of opponents does not seem to matter for boys' competitive behavior and risk-taking, it does seem to affect male teenagers and college students. In particular, each additional female opponent decreases a teenage male's wager by as much as 7.3 percentage points. Thus, two female opponents would decrease a male's wager by almost one half of a standard deviation $(0.073 \times 2=0.146$ and one standard deviation increase in wagering is equal to 0.31 ; see Table A3). For college students, that magnitude becomes 5.5 percentage points. These results are, again, not only relevant in statistical terms, but also in economic magnitudes. Further, teenage males are 1.4 percentage points less likely to respond correctly for every female opponent.

Figure 6 visualizes the average $D D$ wager for each age group by gender and gender of opponents, including the respective 95 percent confidence intervals. Associated regressions that take into account potential effects from our list of control variables produce consistent findings, but we focus on displaying means here because sample sizes become smaller in some instances (e.g., when considering no opponents

[^8]Table 2: Regression results from predicting wager as \% of maximum possible for the female sample.

| Dependent variable: | Kids |  |  |  | Teenagers |  |  |  | College students |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) <br> Winning episode | (2) <br> Answering | (3) <br> Answering correctly | (4) <br> Wager | (5) <br> Winning episode | (6) <br> Answering | (7) <br> Answering correctly | (8) <br> Wager | (9) <br> Winning episode | (10) <br> Answering | (11) <br> Answering correctly | (12) <br> Wager |
| \# of male opponents | $\begin{aligned} & -0.097 \\ & (0.104) \end{aligned}$ | $\begin{aligned} & -0.026 \\ & (0.018) \end{aligned}$ | $\begin{gathered} 0.004 \\ (0.022) \end{gathered}$ | $\begin{gathered} 0.076 \\ (0.077) \end{gathered}$ | $\begin{gathered} 0.009 \\ (0.043) \end{gathered}$ | $\begin{gathered} 0.003 \\ (0.007) \end{gathered}$ | $\begin{gathered} 0.001 \\ (0.008) \end{gathered}$ | $\begin{gathered} 0.017 \\ (0.025) \end{gathered}$ | $\begin{aligned} & -0.006 \\ & (0.047) \end{aligned}$ | $\begin{gathered} 0.002 \\ (0.008) \end{gathered}$ | $\begin{gathered} 0.011 \\ (0.009) \end{gathered}$ | $\begin{gathered} 0.014 \\ (0.025) \end{gathered}$ |
| Control variables ${ }^{a}$ |  | yes | yes | yes |  | yes | yes | yes |  | yes | yes | yes |
| \# of players | 89 | 89 | 89 | 60 | 153 | 153 | 153 | 116 | 145 | 145 | 145 | 116 |
| \# of episodes | 61 | 61 | 61 | 50 | 179 | 179 | 179 | 136 | 174 | 174 | 174 | 124 |
| $N$ | 89 | 5,198 | 1,728 | 91 | 270 | 16,406 | 5,602 | 243 | 253 | 15,391 | 5,111 | 213 |

Notes: Standard errors clustered on the player level are displayed in parentheses. ${ }^{*} p<0.10,{ }^{* *} p<0.05,{ }^{* * *} p<0.01$. ${ }^{a}$ Includes binary indicators for STEM clues and the 20 most common categories, the $\$$ value of the clue, and the account balance of the contestant (both individual and relative to their opponents).
Table 3: Regression results from predicting wager as \% of maximum possible for the male sample.

| Dependent variable: | Kids |  |  |  | Teenagers |  |  |  | College students |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) Winning episode | (2) <br> Answering | (3) <br> Answering correctly | (4) Wager | (5) Winning episode | (6) <br> Answering | (7) <br> Answering correctly | (8) Wager | (9) Winning episode | (10) <br> Answering | (11) <br> Answering correctly | (12) Wager |
| \# of female opponents | $\begin{gathered} -0.036 \\ (0.098) \end{gathered}$ | $\begin{gathered} -0.010 \\ (0.020) \end{gathered}$ | $\begin{gathered} 0.019 \\ (0.025) \end{gathered}$ | $\begin{gathered} -0.049 \\ (0.057) \end{gathered}$ | $\begin{gathered} 0.031 \\ (0.041) \end{gathered}$ | $\begin{gathered} 0.002 \\ (0.009) \end{gathered}$ | $\begin{gathered} -0.014^{* *} \\ (0.007) \end{gathered}$ | $\begin{gathered} -0.073^{* * *} \\ (0.022) \end{gathered}$ | $\begin{gathered} 0.074 \\ (0.050) \end{gathered}$ | $\begin{gathered} -0.006 \\ (0.006) \end{gathered}$ | $\begin{gathered} 0.009 \\ (0.008) \end{gathered}$ | $\begin{gathered} -0.055^{* *} \\ (0.024) \end{gathered}$ |
| Control variables ${ }^{a}$ |  | yes | yes | yes |  | yes | yes | yes |  | yes | yes | yes |
| \# of players | 97 | 97 | 97 | 64 | 157 | 157 | 157 | 138 | 154 | 154 | 154 | 133 |
| \# of episodes | 62 | 62 | 62 | 49 | 189 | 189 | 189 | 170 | 180 | 181 | 181 | 162 |
| $N$ | 97 | 5,652 | 1,968 | 91 | 336 | 20,399 | 7,153 | 363 | 308 | 18,791 | 6,461 | 346 |

Notes: Standard errors clustered on the player level are displayed in parentheses. ${ }^{*} p<0.10,{ }^{* *} p<0.05,{ }^{* * *} p<0.01 .{ }^{a}$ Includes binary indicators for STEM clues and the 20 most common categories, the $\$$ value of the clue, and the account balance of the contestant (both individual and relative to their opponents).
from the opposite sex). As a reference point, the red horizontal line represents the average wager of contestants from the opposite gender in the same age group. For example, the top left graph considers female kids and distinguishes by the number of male opponents in their respective episode. In this case, the horizontal line displays the average wager of male kids. For the kids sample, we omit the respective average for zero opponents from the opposite sex since the sample sizes are zero (in case of females) and only three (in case of males). Finally, Figure 6 lists the respective sample sizes below each mean and $y$-axes for each pair of graphs are identical to facilitate cross-comparisons.

These visualizations again first reveal no gender differences in wagering for children in the top graphs. In particular, we find no differences between any of the four means. However, that changes for the teenage sample in the middle graphs: Males wager significantly more than females when they compete in an all-male field or against one female (as indicated by non-overlapping of confidence intervals with the horizontal red line). However, as soon as a teenage boy is in an otherwise all-female field of competitors, his wagering behavior becomes indistinguishable from that of the average female (as indicated overlapping of the confidence interval with the horizontal red line). In general, the means for the male teenage sample show larger discrepancies by the number of female opponents than the respective means for the female sample. Moving to the college sample, we observe a similar tendency, as males' wagering behavior is virtually indistinguishable from females' when in an otherwise all-female field of competitors (see the far-right coefficient of the bottom right graph). Put differently, a male college student only wagers significantly more than the average female college student if at least one other male is present.

## 4 Discussion and Conclusions

In this paper, we use data from the US version of Jeopardy! to investigate at which age (if any) gender differences in competitiveness and risk-taking emerge. We exploit the fact that the show features episodes for kids (10-12 years of age), teenagers (13-17 years), and undergraduate students in college. Finally, we also evaluate whether the gender of opponents is able to influence both competitiveness and risk-taking across all three age groups.

In our results, we consistently find no gender differences in competitive behavior throughout all age groups. This conclusion emerges for the likelihood of $(i)$ winning an episode, (ii) responding to


Figure 6: Wagers by number of opponents from the opposite gender. The red horizontal line represents the average wager of contestants from the opposite gender in the same age group.
a clue, and (iii) responding correctly to a clue. When it comes to risk-taking, however, we identify gender differences that are consistent with the majority of the existing literature, as females are wagering less than their male counterparts, on average. Interestingly, we do not observe such gender differences in the kids sample, but the gap begins to emerge forcefully for teenagers, when males begin to wager substantially more. This gender gap then prevails for college students.

Related to their opponents' gender, females across all age groups appear unaffected by who they play against. This remains true for all four settings related to competitiveness and risk-taking. However, male teenagers and college students wager less with every additional female opponent. It is possible that puberty plays a role in these anomalies. In general, one widespread finding in the associated literature suggests that the presence of same sex peers may result in increased risk taking (Gardner and Steinberg, 2005; Chein et al., 2011). Thus, it is possible that male Jeopardy! contestants anticipate lower risk-taking by females (Byrnes et al., 1999) and respond by changing their behavior toward what they perceive the social norm would be in the presence of females. For instance, Simons-Morton et al. (2005) document less risky driving behavior by male teenagers when with female passengers and Eckel and Füllbrunn's (2015) findings suggest that inserting more women into the finance industry may reduce overall risktaking.

Of course, other explanations of our findings are possible and one fruitful avenue for future research may be to try and find settings where one could study the underlying dynamics of whether, how, and why exactly the gender of opponents may influence one's behavior in competitive situations. In the interpretation of our findings, one should not forget the game show setting of Jeopardy!. For instance, all contestants have selected into being on the show in the US. In the Swedish version of Jeopardy!, studied by Säve-Söderbergh and Lindquist (2017), the initial decision to take the qualification exam for kids is made on the school level after receiving a solicitation from the program. Teachers in interested schools administer the test and select competitors for the show based on results. As our results differ from SäveSöderbergh and Lindquist's (2017) in regard to children's competitiveness, this issue of selection into the competitive environment could be relevant for comparison, in addition to any cultural differences (in this case between US and Swedish adolescents).

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Appendix
Table A1: Recent articles trying to explain the age at which the gender gap in performance and risk attitudes appears (listed chronologically).

| Study | Research Setting | Sample | $N$ | Task | Payoffs | Main Findings |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Panel A: Gender differences in competitiveness |  |  |  |  |  |  |
| Gneezy and Rustichini (2004) | Field experiment | 9-10 year olds in Israel | 140 | Footraces | None | Competition improves performance for boys but not for girls. |
| Booth and Nolen (2012a) | Lab experiment | UK students near 15 years of age | 260 | Solving mazes | Average payout 7 pounds | Girls from same sex schools behave more competitively. |
| Cárdenas et al. (2012) | Field experiment | 9-12 year olds in Colombia and Sweden | 1240 | Running, skipping rope, math and word search | No pay run/skip rope; Math/word search age 712 pens/age 12-16 money | Boys and girls equally competitive Columbia. Results mixed in Sweden, girls more competitive some tasks and boys more likely to compete generally. |
| Andersen et al. (2013) | Field experiment | 7-15 year olds in India | 318 | Throwing balls into buckets | 10-30 rupees per shot | Matriarchal society no gender differences emerge with puberty, in patriarchal females less competitive (age 13-15). |
| Samak (2013) | Field experiment | 3-5 year olds in the United States | 123 | Fishing task | Candy | Boys and girls compete at equal rates. Same gender opponent does not affect performance. |
| Dreber et al. (2014) | Field experiment | 7-10 year olds in Sweden | $149 \text { run/146 }$ <br> dance/143 <br> skip rope | Running, dancing, and skipping rope | None | No difference in gender reaction to competition in any task. |
| De Paola et al. (2015) | Field experiment | Italian undergraduate students | 720 | Midterm exam | Extra credit added to exam score | Women similar to men regardless of competitor gender and across competitive/non-competitive environments. |
| Khachatryan et al. (2015) | Field experiment | 7-16 year olds in Armenia | 824 | Skipping rope, math task, and verbal task | No compensation awarded | Girls increase competition more than boys running, no difference in willingness to compete other tasks. |
| Sutter and Glätzle-Rützler (2015) | Field experiment | 3-18 year olds in Austria | $\begin{aligned} & \operatorname{Exp} \quad 1 / 2 / 3 \\ & \text { samples } \\ & 412 / 441 / 717 \end{aligned}$ | Running task, manual task, math task | Running/manual task pencils, stickers, sweets. Math task cash average $6.58 €$. | Running and math perform equally well, manual task girls better than boys. Boys choose competitive payment more often all tasks. |
| Säve-Söderbergh and Lindquist (2017) | Game show data | 10-11 year olds and adults in Sweden | 221 $10-11$ <br> year olds; <br> 448 adults  | Swedish Jeopardy! score accumulation and winning contest | Cash prize contestant with highest score at end of match | Girls performed better, were more likely to answer questions correctly, and won more frequently when opponents female. |
| Panel B: Gender differences in risk taking |  |  |  |  |  |  |
| Lindquist and Säve- Söderbergh (2011) | Game show data | Adults in Sweden | 316 | Point wagers | Cash prize for contestant with highest score at end of match | Females wager 25\% less of accumulated score when wagering against all male group, compared to mixed or all female group. |
| Booth and Nolen (2012b) | Lab experiment | UK students near 15 years of age | 260 | Coin flip with decision choice affecting payout | Average payout $7 £$ | Females assume same amount of risk as males when attend same sex school, female only experimental group increases risk taking. |
| Cárdenas et al. (2012) | Field experiment | 9-12 year olds in Colombia and Sweden | 1240 | Coin flip or safe with varying payouts | Points earned turned into pens and erasers awarded | Boys both countries more risk taking, smaller gap in Sweden. |
| Booth et al. (2014) | Lab experiment | UK undergraduate students | 219 | Risk aversion questionnaire | Maximum possible $30 £$ | Females generally less risk taking, when allocated single sex environment more apt to choose risky situation relative to mixed sex. |
| Khachatryan et al. (2015) | Field experiment | 7-16 year olds in Armenia | 824 | Coin flip or safe with varying payouts | Points earned for age 7-12 for pens, 12-16 money | Boys more risk taking than girls, dissipates near puberty. |
| Säve-Söderbergh and Lindquist (2017) | Game show data | 10-11 year olds and adults in Sweden | 221 $10-11$ <br> year olds; <br> 448 adults  | Point wagers | Cash prize for contestant with highest score at end of match. | No gender gap risk taking at 10-11 years of age. Girls take more risks than women, boys fewer risks than men and women. |

Table A2: Summary statistics for kids sample.

|  | Mean | (Std. Dev.) |  | Mean | (Std. Dev.) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Panel A: Winning an episode ( $\mathbf{N}=186$ ) |  |  | Panel B: Answering ( $\mathrm{N}=\mathbf{1 0 , 8 7 8}$ ) |  |  |
| Winning | 0.33 | (0.47) | Answering | 0.34 | (0.47) |
| Female | 0.48 | (0.50) | Female | 0.48 | (0.50) |
| Black | 0.10 | (0.30) | Black | 0.10 | (0.30) |
| White | 0.65 | (0.48) | White | 0.65 | (0.48) |
| Other race | 0.25 | (0.43) | Other race | 0.25 | (0.43) |
|  |  |  | STEM clue | 0.07 | (0.25) |
|  |  |  | Initial \$ value | 930.23 | $(1,013.51)$ |
|  |  |  | \$ score | 4,711.33 | $(4,894.24)$ |
|  |  |  | Relative score | 0 | $(9,258.12)$ |
| Panel C: Answering correctly ( $\mathbf{N}=\mathbf{3 , 7 1 6 \text { ) }}$ |  |  | Panel D: Wagering Answering ( $\mathbf{N}=\mathbf{1 8 2 \text { ) }}$ |  |  |
| Correct | 0.84 | (0.37) | Wager in \% of maximum | 0.36 | (0.29) |
| Female | 0.47 | (0.50) | Female | 0.50 | (0.50) |
| Black | 0.11 | (0.31) | Black | 0.12 | (0.33) |
| White | 0.64 | (0.48) | White | 0.63 | (0.49) |
| Other race | 0.25 | (0.43) | Other race | 0.25 | (0.44) |
| STEM clue | 0.07 | (0.25) | STEM clue | 0.10 | (0.30) |
| Initial \$ value | 1,071.33 | $(1,556.60)$ | Initial \$ value | 1,201.65 | (475.41) |
| \$ score | 5,241.87 | $(5,308.33)$ | \$ score | 7,252.2 | $(5,789.95)$ |
| Relative score | 1,072.56 | $(9,562.16)$ | Relative score | 4,211.26 | (10,683.38) |

Table A3: Summary statistics for teenage sample.

|  | Mean | (Std. Dev.) |  | Mean | (Std. Dev.) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Panel A: Winning an episode ( $\mathrm{N}=\mathbf{6 0 6 \text { ) }}$ |  |  | Panel B: Answering ( $\mathbf{N}=\mathbf{3 6 , 8 1 3 \text { ) }}$ |  |  |
| Winning | 0.33 | (0.47) | Answering | 0.35 | (0.48) |
| Female | 0.45 | (0.50) | Female | 0.45 | (0.50) |
| Black | 0.07 | (0.26) | Black | 0.07 | (0.26) |
| White | 0.73 | (0.45) | White | 0.73 | (0.44) |
| Other race | 0.20 | (0.40) | Other race | 0.20 | (0.40) |
|  |  |  | STEM clue | 0.08 | (0.27) |
|  |  |  | Initial \$ value | 815.99 | (956.46) |
|  |  |  | \$ score | 4,520.35 | $(4,766.87)$ |
|  |  |  | Relative score | 0 | $(8,516.6)$ |
| Panel C: Answering correctly ( $\mathbf{N}=\mathbf{1 2 , 8 2 4}$ ) |  |  | Panel D: Wagering Answering ( $\mathrm{N}=\mathbf{6 0 6 \text { ) }}$ |  |  |
| Correct | 0.86 | (0.35) | Wager in \% of maximum | 0.45 | (0.31) |
| Female | 0.44 | (0.50) | Female | 0.40 | (0.49) |
| Black | 0.07 | (0.26) | Black | 0.08 | (0.27) |
| White | 0.74 | (0.44) | White | 0.71 | (0.45) |
| Other race | 0.19 | (0.39) | Other race | 0.21 | (0.41) |
| STEM clue | 0.08 | (0.27) | STEM clue | 0.11 | (0.31) |
| Initial \$ value | 951.31 | $(1,452.27)$ | Initial \$ value | 1,034.16 | (509.74) |
| \$ score | 4,961.15 | $(5,054.3)$ | \$ score | 6,229.61 | $(5,175.32)$ |
| Relative score | 780.91 | $(8,793.96)$ | Relative score | 2,752.99 | $(8,905.46)$ |

Table A4: Summary statistics for college sample.

|  | Mean | (Std. Dev.) |  | Mean | (Std. Dev.) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Panel A: Winning an episode ( $\mathbf{N}=\mathbf{5 6 1}$ ) |  |  | Panel B: Answering ( $\mathbf{N}=\mathbf{3 4 , 1 8 5 \text { ) }}$ |  |  |
| Winning | 0.33 | (0.47) | Answering | 0.34 | (0.47) |
| Female | 0.45 | (0.50) | Female | 0.45 | (0.50) |
| Black | 0.06 | (0.24) | Black | 0.06 | (0.24) |
| White | 0.74 | (0.44) | White | 0.74 | (0.44) |
| Other race | 0.20 | (0.40) | Other race | 0.20 | (0.40) |
|  |  |  | STEM clue | 0.08 | (0.26) |
|  |  |  | Initial \$ value | 783.78 | (826.12) |
|  |  |  | \$ score | 4,087.95 | $(4,325.03)$ |
|  |  |  | Relative score | 0 | $(7,683.90)$ |
| Panel C: Answering correctly ( $\mathrm{N}=11,630$ ) |  |  | Panel D: Wagering Answering ( $\mathbf{N}=\mathbf{5 5 9}$ ) |  |  |
| Correct | 0.85 | (0.36) | Wager in \% of maximum | 0.44 | (0.30) |
| Female | 0.44 | (0.50) | Female | 0.38 | (0.49) |
| Black | 0.07 | (0.25) | Black | 0.07 | (0.26) |
| White | 0.74 | (0.44) | White | 0.74 | (0.44) |
| Other race | 0.19 | (0.40) | Other race | 0.18 | (0.39) |
| STEM clue | 0.08 | (0.27) | STEM clue | 0.09 | (0.29) |
| Initial \$ value | 883.66 | $(1,220.24)$ | Initial \$ value | 1,007.87 | (486.83) |
| \$ score | 4,448.91 | $(4,623.78)$ | \$ score | 5,779.79 | $(4,707.96)$ |
| Relative score | 723.49 | $(7,950.65)$ | Relative score | 2,536.91 | $(7,794.81)$ |


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[^2]:    ${ }^{1}$ We refer to Cárdenas et al. (2012) and Charness and Gneezy (2012) for evidence from Colombia and Sweden, Gong and Yang (2012) for results from matrilineal and patriarchal societies in China, and Khachatryan et al. (2015) for evidence from Armenia.

[^3]:    ${ }^{2}$ Note that before November 26, 2001, these values were half, i.e., up to $\$ 500$ in the Jeopardy! round and up to $\$ 1,000$ in the Double Jeopardy! round.

[^4]:    ${ }^{3}$ Note that we cannot deduct the sequence with which a given clue was responded to. For example, if a clue has been incorrectly responded to by two contestants, we do not know who responded first.

[^5]:    ${ }^{4}$ More specifically, the respective contestant can wager up to their entire account balance or the largest dollar value on the current board, whichever of the two is greater. This restriction guarantees that even contestants with relatively low account balances can wager non-trivial amounts, i.e., up to $\$ 1,000$ in the Jeopardy! round and up to $\$ 2,000$ in the Double Jeopardy! round.

[^6]:    ${ }^{5}$ The 20 most common categories are Science, Before \& After, Literature, Potpourri, American History, World History, Sports, Business \& Industry, World Geography, U.S. Cities, Colleges \& Universities, Animals, Transportation, Religion, U.S. Geography, Opera, Authors, People, Food, and The Bible.
    ${ }^{6}$ The $J!$ Archive website contains photos of the majority of contestants participating in the age limited competitions. For contestants unavailable on the $J!$ Archive website, internet image searches were conducted for the respective episode.
    ${ }^{7}$ Note that putting one's score into any division-based formula, such as percentage terms, would eliminate those observations where the denominator is equal to zero. In addition, it may distort observations where the numerator takes on the value of zero.

[^7]:    Notes: Standard errors clustered on the player level are displayed in parentheses. ${ }^{*} p<0.10,{ }^{* *} p<0.05,{ }^{* * *} p<0.01$. ${ }^{a}$ Includes binary indicators for black and other non-white races, as well as STEM clues and the 20 most common categories, the $\$$ value of the clue, and the account balance of the contestant (both individual and relative to their opponents).

[^8]:    ${ }^{8}$ Only the likelihood to answer for girls is suggested to be marginally affected by the presence of boys with a $t$-value of $\frac{-0.026}{0.018}=1.44$.

